

Microscopic theory of plasmon-enabled resonant terahertz detection in bilayer graphene

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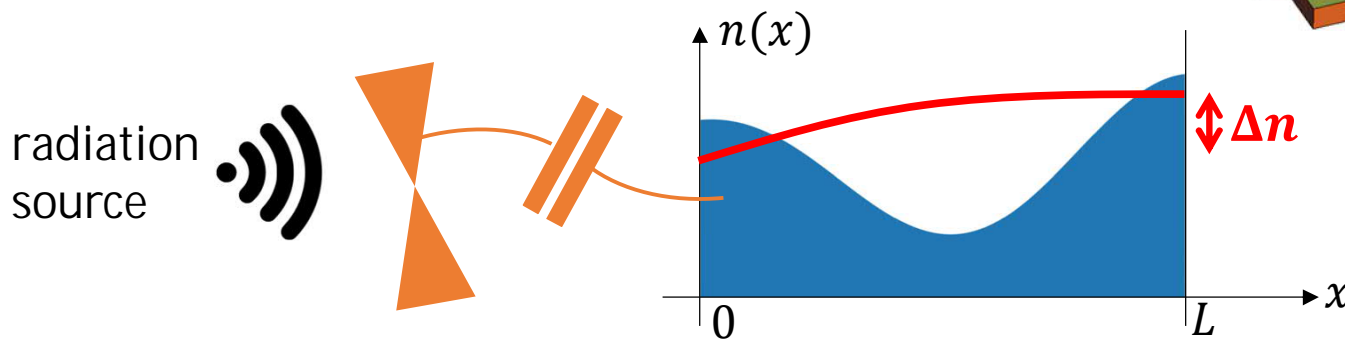
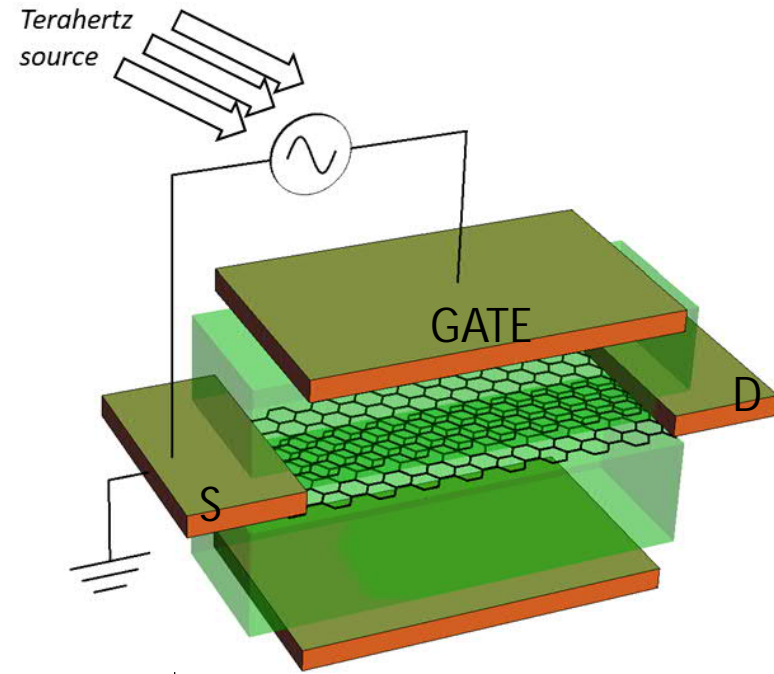
Acknowledgments



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Plasma-wave based photodetection

- FET: capacitive coupling between antenna and carrier density
- **Plasma waves** oscillate between source and drain as in a Fabry-Pérot



- Hydrodynamic **nonlinearity** \Rightarrow

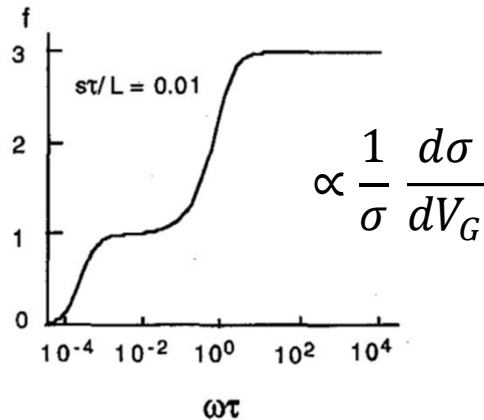
DC source-drain photovoltage (*rectification*)

First proposed: M. Dyakonov and M. Shur, IEEE Trans. Electron. Devices 43, 380 (1996)

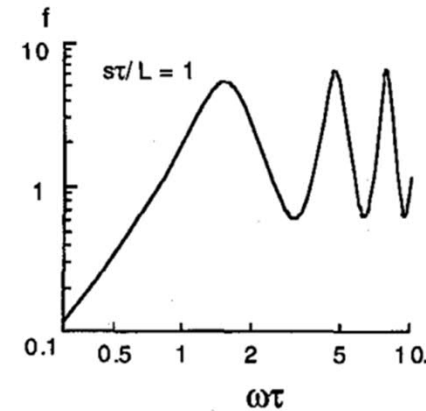
Plasma-wave based photodetection

- Impurities damp plasma waves and the photovoltage is **broadband**
- If e-e collision rate much larger than damping rate, the photovoltage is **resonant** at multiples of ω_P

diffusive
 \Downarrow
 broadband



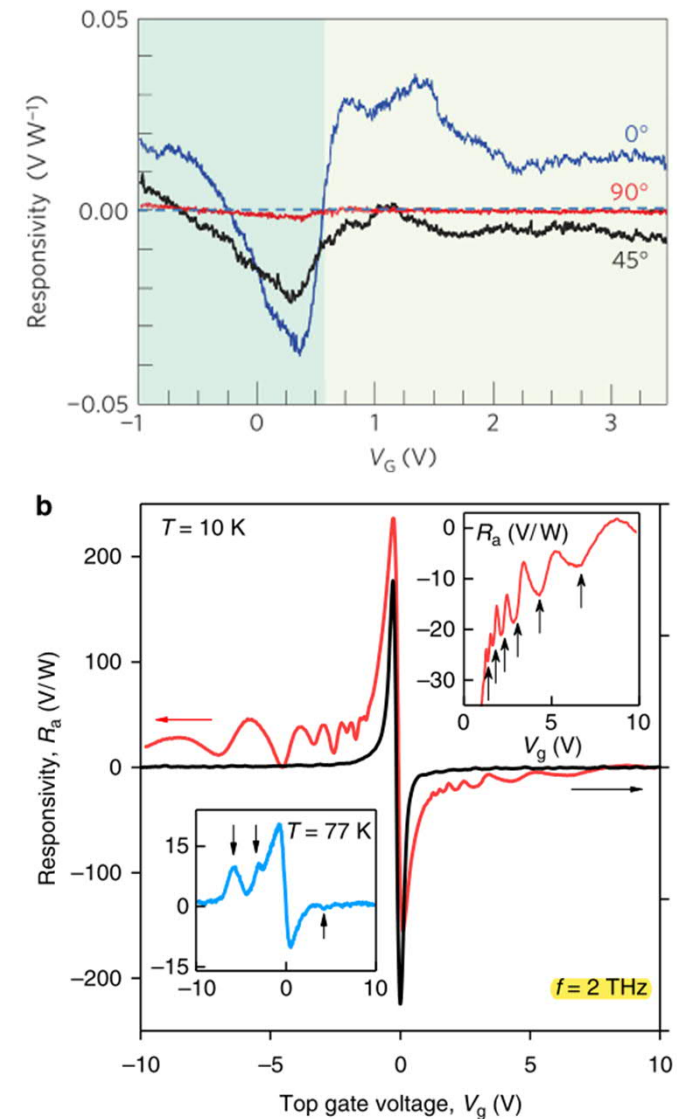
collisional
 ballistic
 \Downarrow
 resonant



Review: W. Knap *et al.*, J. Infrared Milli Terahz Waves 30, 1319 (2009)

Resonant plasma-waves in encapsulated bilayer graphene

- Particularly relevant in the THz (10^{12}Hz) range where room temperature photodetectors are scarce
- Graphene supports *tunable* plasma waves in the THz – mid IR range
- Bilayer graphene features higher quality factors
L. Vicarelli *et al.*, Nat. Mater. 11, 865 (2012)
D. Spirito *et al.*, Appl. Phys. Lett. 104, 061111 (2014)
- **Resonant** photovoltage measured in hBN-**encapsulated** bilayer graphene
D.A. Bandurin *et al.*, Nat. Commun. 9, 5392 (2018)



Goal

Bilayer graphene

microscopic **quantum** degrees of freedom



effects of coupling ?



Plasma waves

macroscopic **classical** collective mode

Theory of plasma-wave propagation in bilayer graphene I

Potential asymmetry:

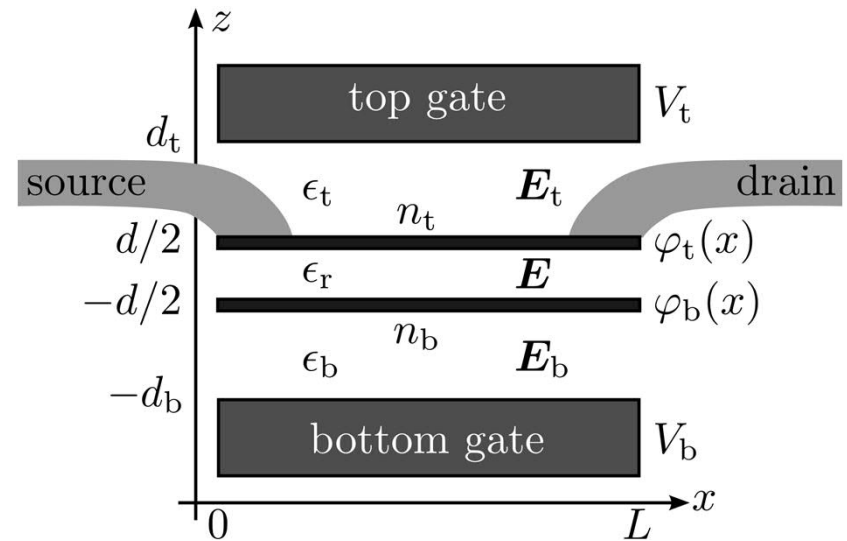
$$\Delta(x) = -e[\varphi_t(x) - \varphi_b(x)]$$

Two-band Hamiltonian:

$$H(x) = \begin{pmatrix} 0 & \frac{(p_x - i p_y)^2}{2m} \\ -\frac{(p_x + i p_y)^2}{2m} & 0 \end{pmatrix} - \frac{\Delta(x)}{2} \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix}$$

Screening in the local-capacitance approximation:

$$n_b(x) - n_t(x) = \frac{C_b}{e} U_b(x) - \frac{C_t}{e} U_t(x) - 2 \frac{C_r}{e} \frac{\Delta(x)}{e}$$



Theory of plasma-wave propagation in bilayer graphene II

Electron distribution:

$$f_{\lambda k}(x) = 1 / e^{\beta[\varepsilon_{\lambda k} - \hbar v(x)k - \mu(x)]} + 1$$

Effective constitutive equation of the model:

$$0 = n(x) \frac{C_t - C_b}{C_t + C_b} + \frac{V_t - V_b}{e} \frac{2C_b C_t}{C_t + C_b} - 2 \frac{\Delta(x)}{e^2} \frac{C_b C_r + C_b C_t + C_r C_t}{C_t + C_b} + \frac{n_{\perp}}{2\gamma_1} \Delta(x) \ln \left(\frac{|n(x)|}{2n_{\perp}} + \frac{1}{2} \sqrt{\left[\frac{n(x)}{n_{\perp}} \right]^2 + \left[\frac{\Delta(x)}{2\gamma_1} \right]^2} \right)$$

Limit of large asymmetry:

$$C_r \Delta(x) = -e(V_t - V_b)C_{series}$$

Theory of plasma-wave propagation in bilayer graphene III

Continuity equation:

$$\partial_t n(x, t) + \partial_x [n(x, t)v(x, t)] = 0$$

Euler equation:

$$0 = \gamma(x, t) [\partial_t v(x, t) + v(x, t) \partial_x v(x, t)] \\ + \frac{e}{m} \frac{n_e(x, t) - n_h(x, t)}{n(x, t)} \partial_x U(x, t) + \frac{1}{mn(x, t)} \partial_x P(x, t) \\ + v(x, t) \partial_t \gamma(x, t) + v(x, t)^2 \partial_x \gamma(x, t) + \frac{1}{\tau} \gamma(x, t) v(x, t)$$

nonlinear couplings
between drift velocity and
charge density fluctuations

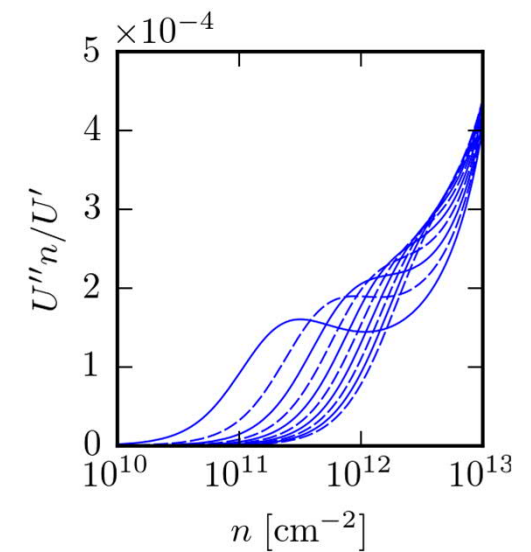
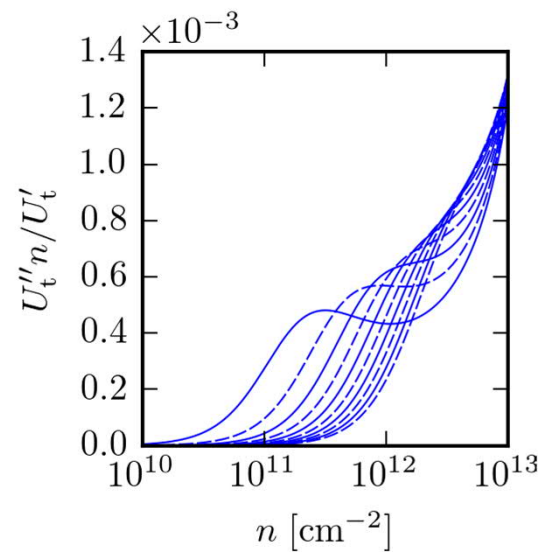
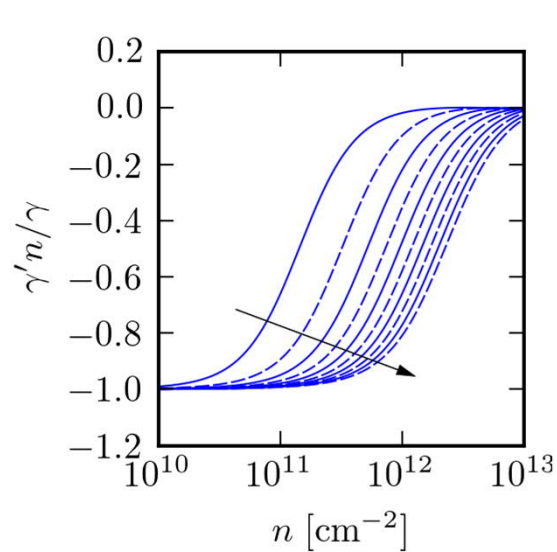
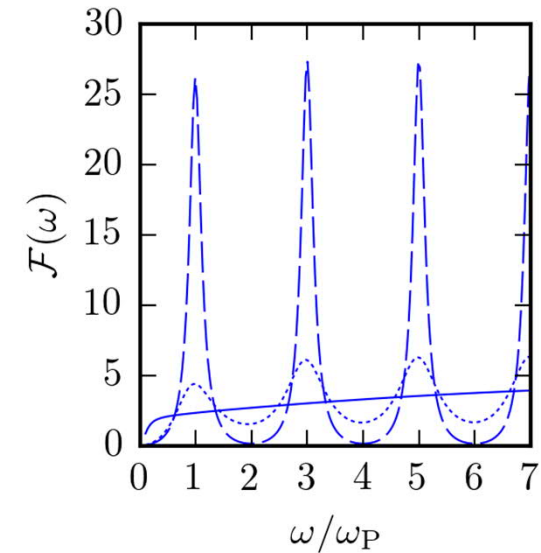
Relative pressure variation:

$$\gamma(x, t) = \sqrt{1 + \left[\frac{m \Delta(x, t)}{\hbar \pi n(x, t)} \right]^2}$$

Momentum-relaxing collision rate: $1/\tau$

Results and Conclusions

$$\mathcal{F}(\omega) \propto 1 - \frac{\gamma' n}{\gamma} - \frac{U_t'' n}{U_t'} + \frac{U'' n}{U'}$$



More details: A.T. *et al.*, Phys. Rev. B 103, 085426 (2021)